



A two-stage approach to represent the daily LNG carriers unloading in natural gas optimization models

Diana Navarrete-Cruz, Antonio Bello and Pablo Rodilla.
Institute for Research in Technology (IIT)

dmnavarrete@comillas.edu



18th IAEE
EUROPEAN
CONFERENCE
Milan, 23-27 July



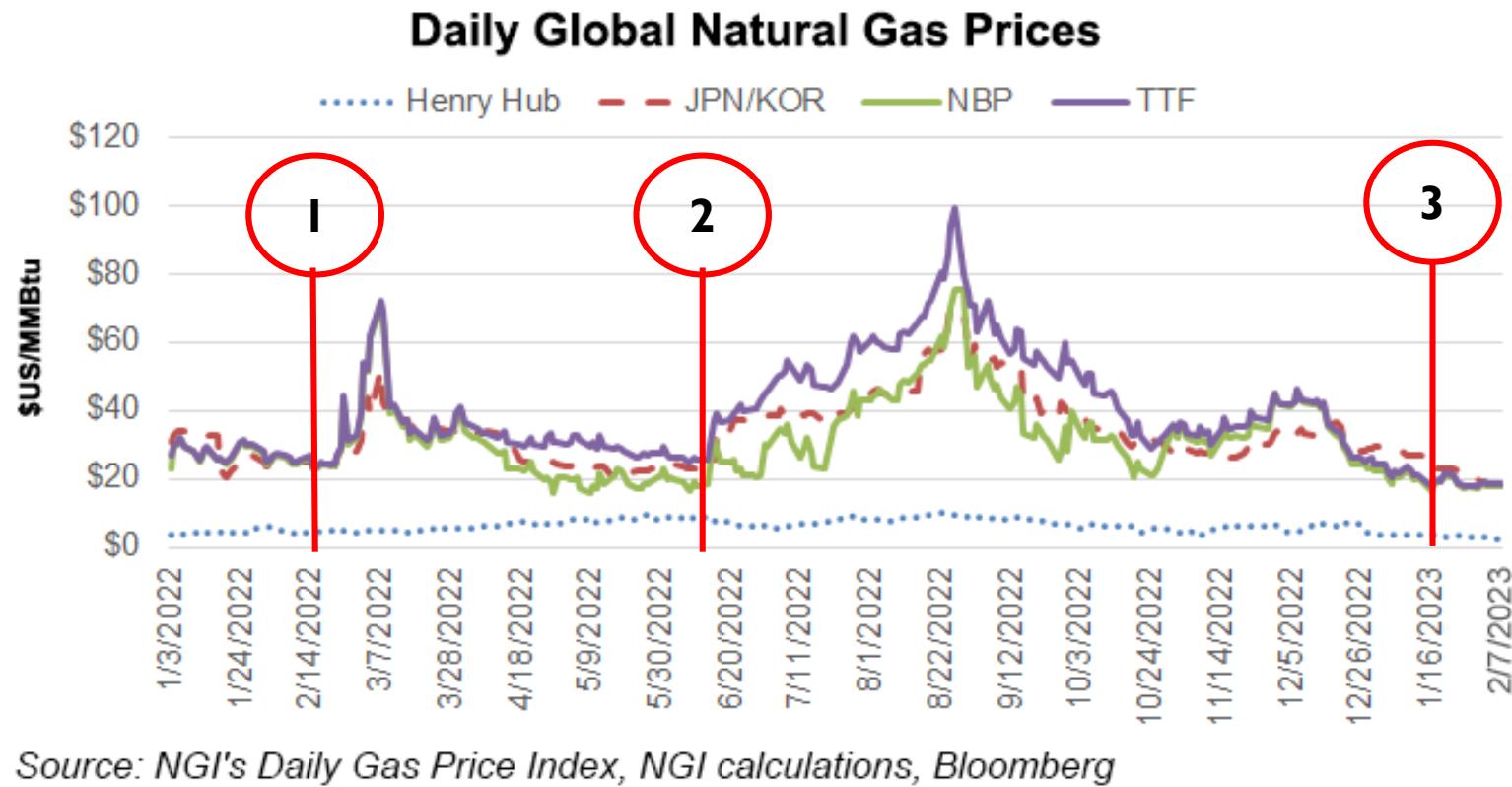
Background

- Natural gas is a crucial energy source for the next decade.
- Dependence on natural gas imports has increased, making supply vulnerable to disruptions and price fluctuations.
- Natural gas prices are highly unstable, especially compared to other commodities.





Background



- I. Ukraine invasión**
- 2. Winter gas supply uncertainty**

- 3. Warm winter**
Gas demand decrease (industrial, electricity)
High storage filling level



Background

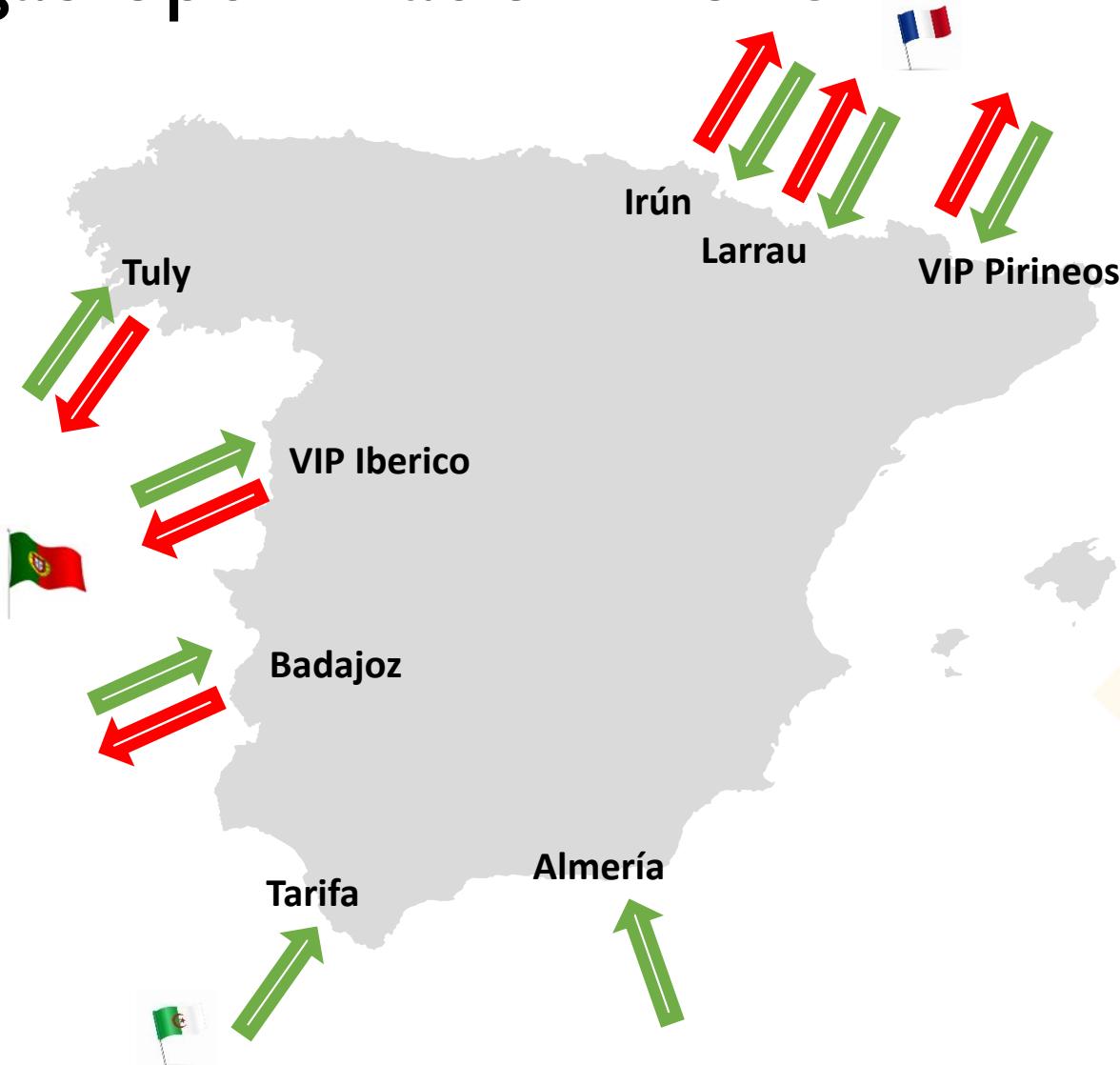
- Optimization models for natural gas systems are vital for policymakers and companies.
- These models enable impact assessment, forecasting, and what-if analysis.
- Modeling natural gas systems is challenging due to specialized infrastructure and the need for daily and long-term representation.





Natural gas optimization model

→ Cross-border pipeline





Natural gas optimization model

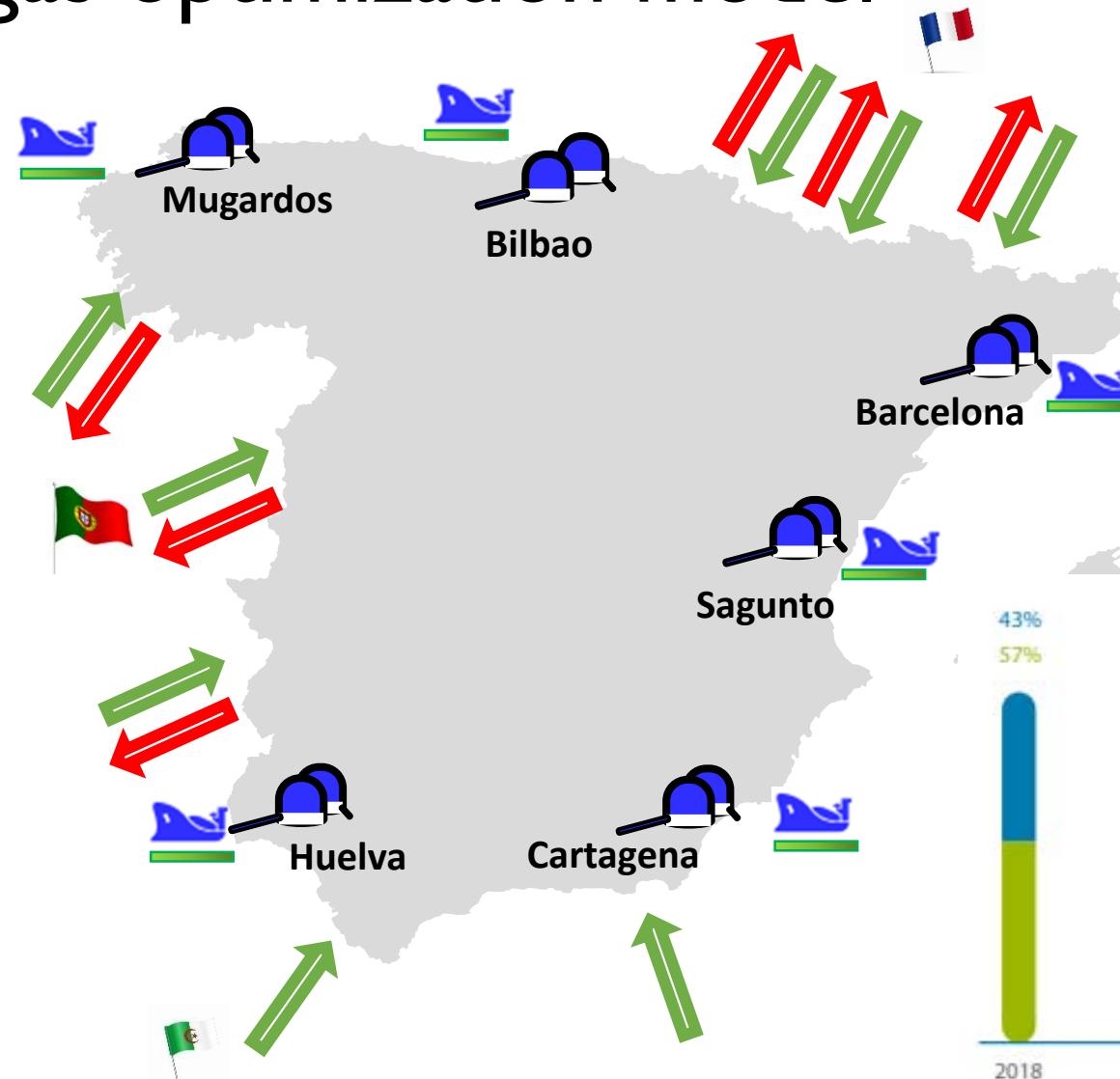
→ Cross-border pipeline

LNG vessel

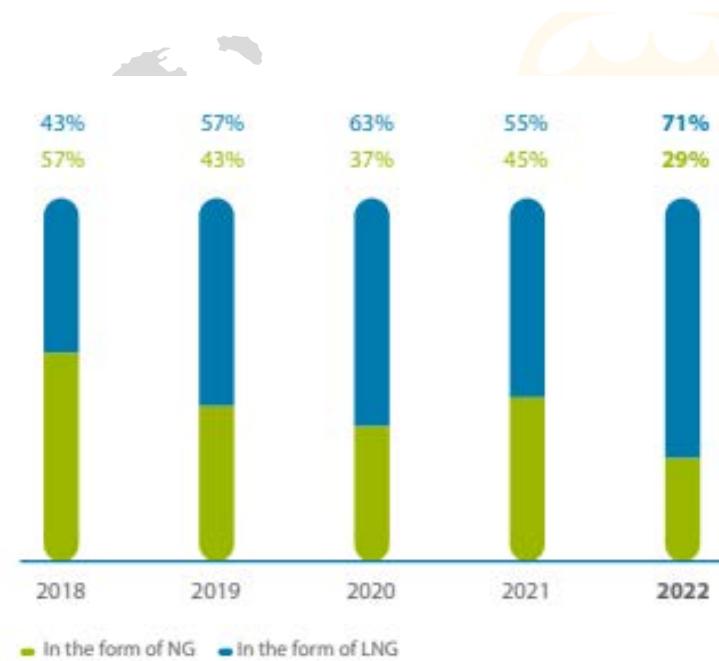
Regasification terminals

Entry

Exit



Supplies Evolution





Natural gas optimization model

→ Cross-border pipeline

LNG vessel

Regasification terminals

Storage facility

Entry

Exit





Natural gas optimization model

→ Cross-border pipeline

LNG vessel

Regasification terminals

Storage facility

National demand

Entry

Exit



Natural gas optimization model- Objective function

Minimizing Cost

$$\sum_{x,z,e,t} \left(T_{xz}^{imp} * q_{xzet}^{imp} + T_{xz}^{exp} * q_{xzet}^{exp} \right) +$$



LNG vessel

$$\sum_{i,r,w,e,t} T_r^{unload} * q_{irwet}^{unload} +$$



Regasification terminals

$$\sum_{r,e,t} \left(T_r^{reg} * q_{ret}^{reg} + T_r^{sto} * q_{ret}^{sto} + T_r^{LNG} * q_{ret}^{LNG} \right) +$$



Storage facility

$$\sum_{s,e,t} \left(T_s^{sto} * q_{set}^{sto} + T_s^{inj} * q_{set}^{inj} + T_s^{wth} * q_{set}^{wth} \right)$$



Demand

Subject to:

- *Demand fulfillment*
- *Capacity constraints*
- *Supply contracts*

Indices:

e: Agent

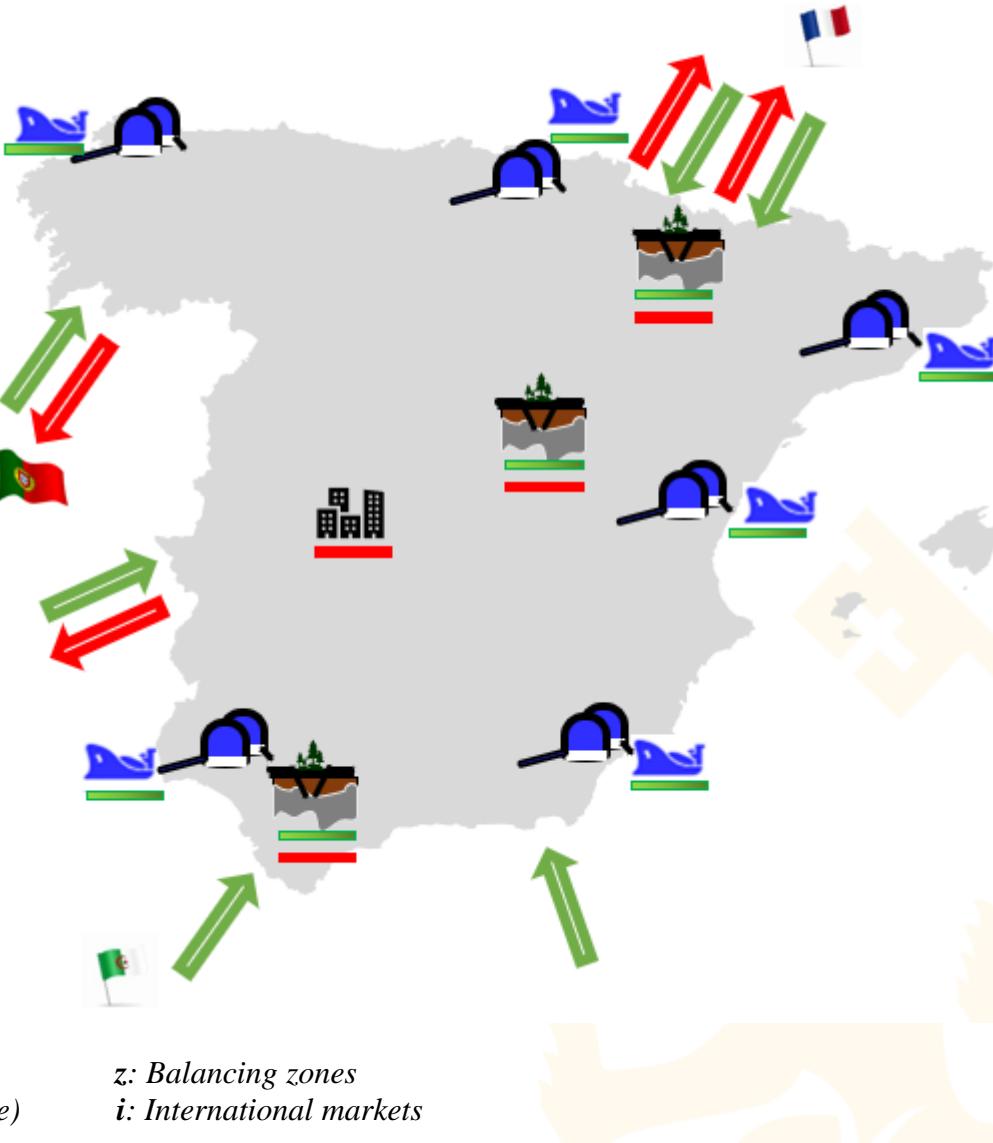
s: Underground storages

r: Regasification terminal

x: Cross-border pipelines

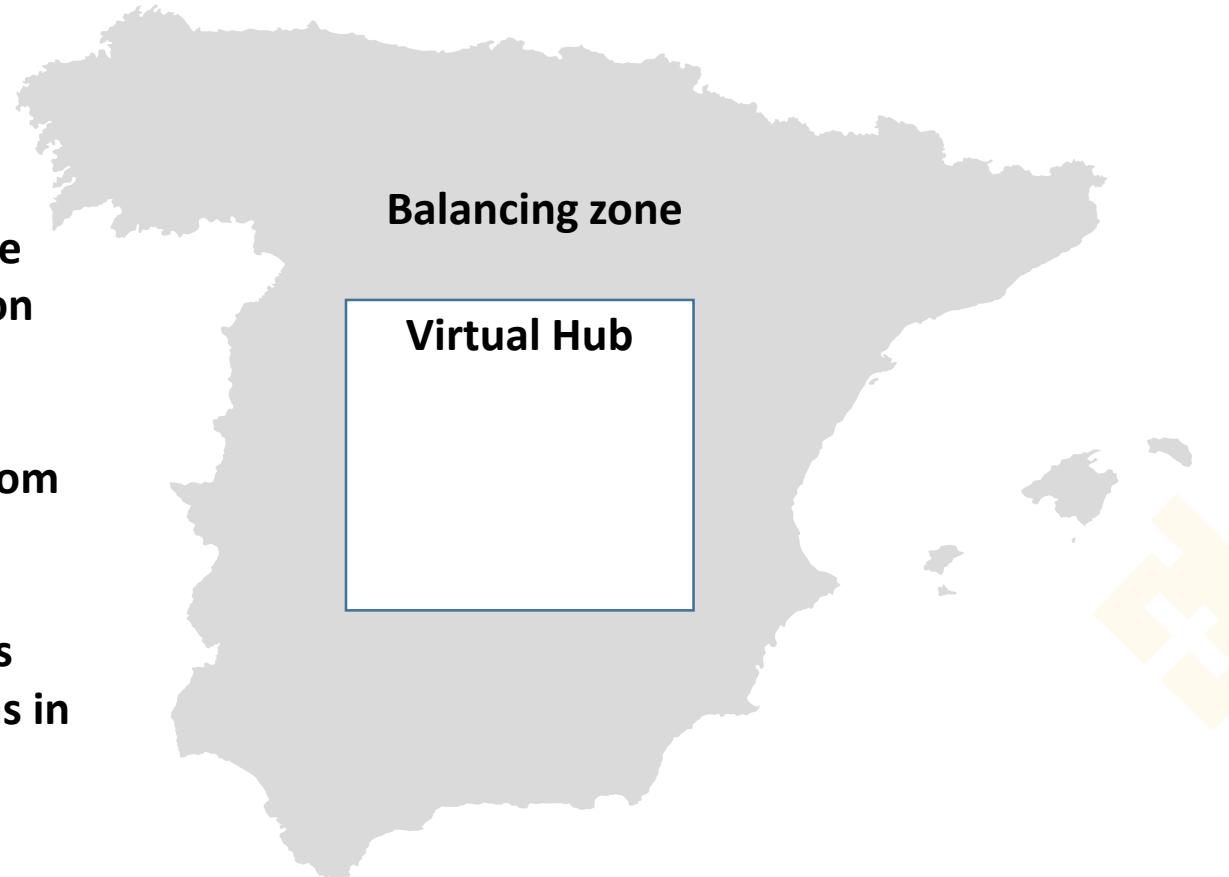
w: Berths of regasification terminals

t: Temporal (days or months depends on stage)

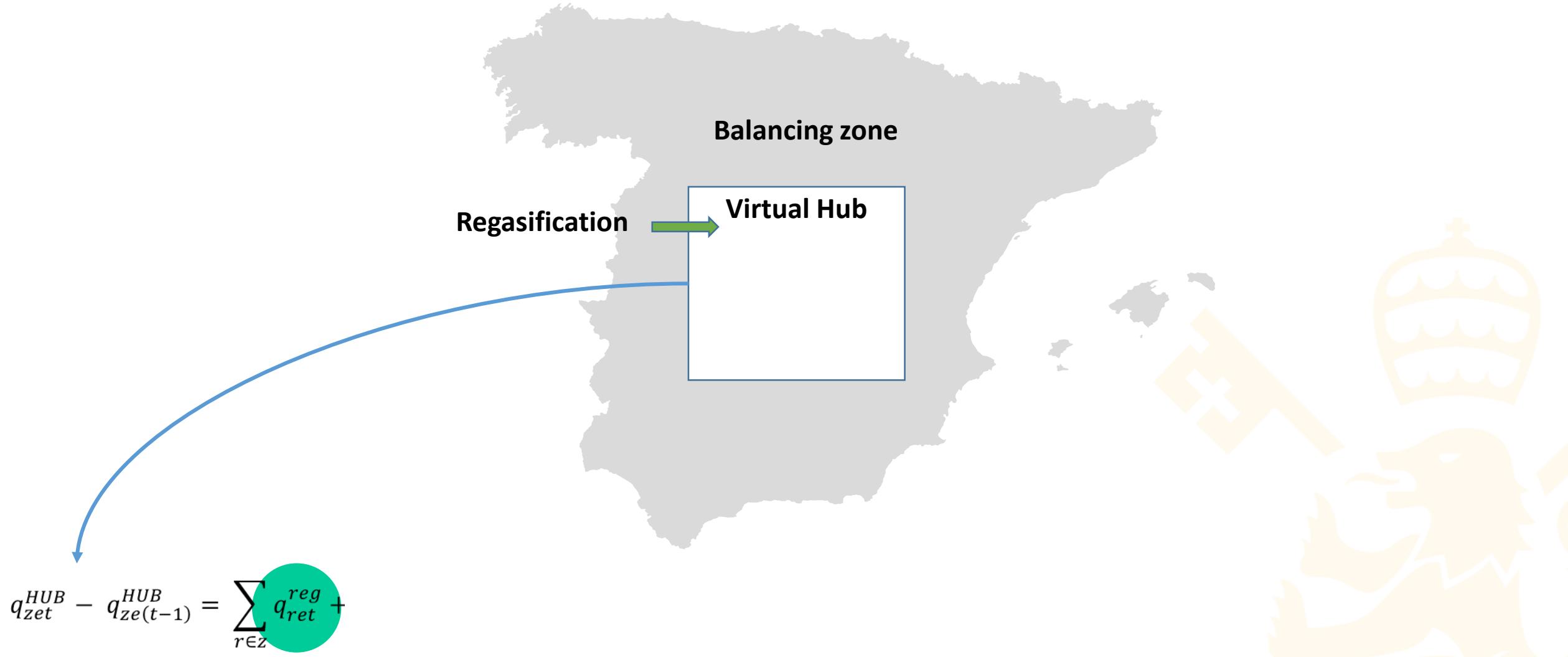


Balancing zone and virtual hub

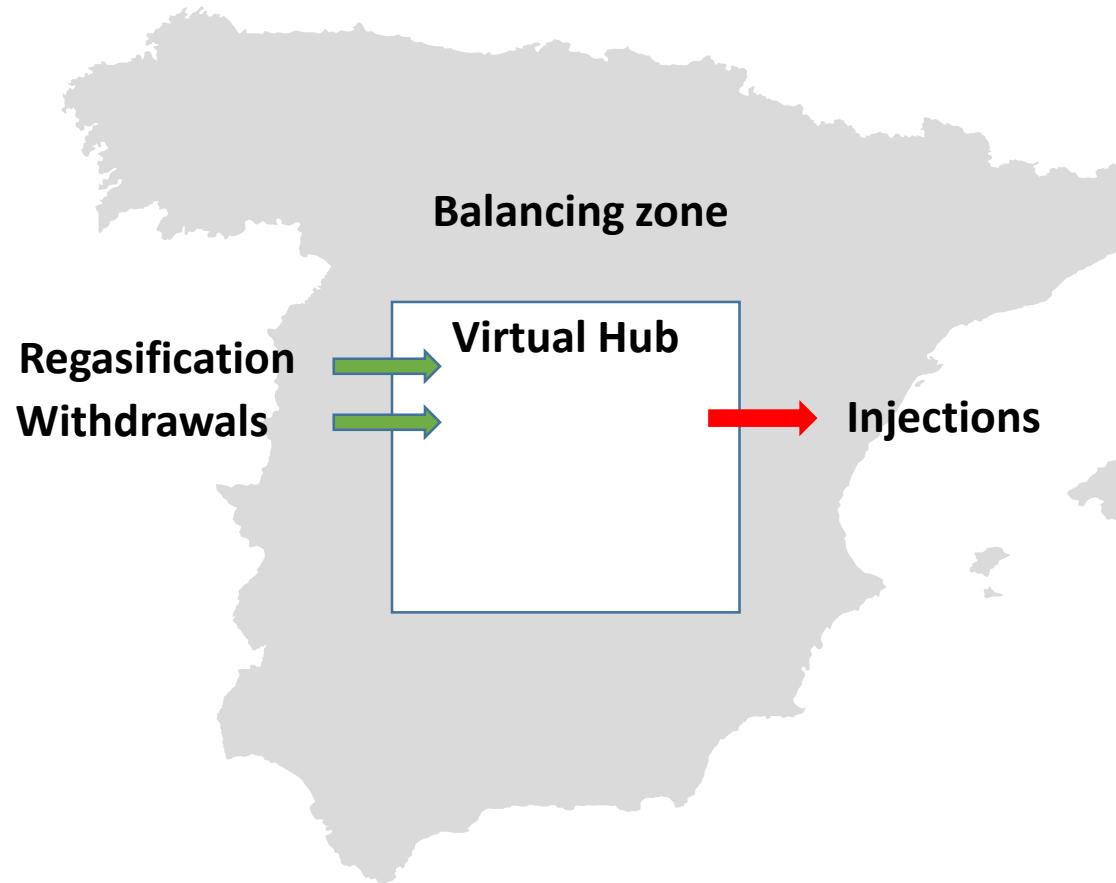
- Simplifying representation of the Gas transmission and distribution network.
- Connect entry and exit points from a downstream gas market.
- Monitor daily shippers' balances and allow them to buy or sell gas in a virtual hub.



Balancing operations in a virtual hub

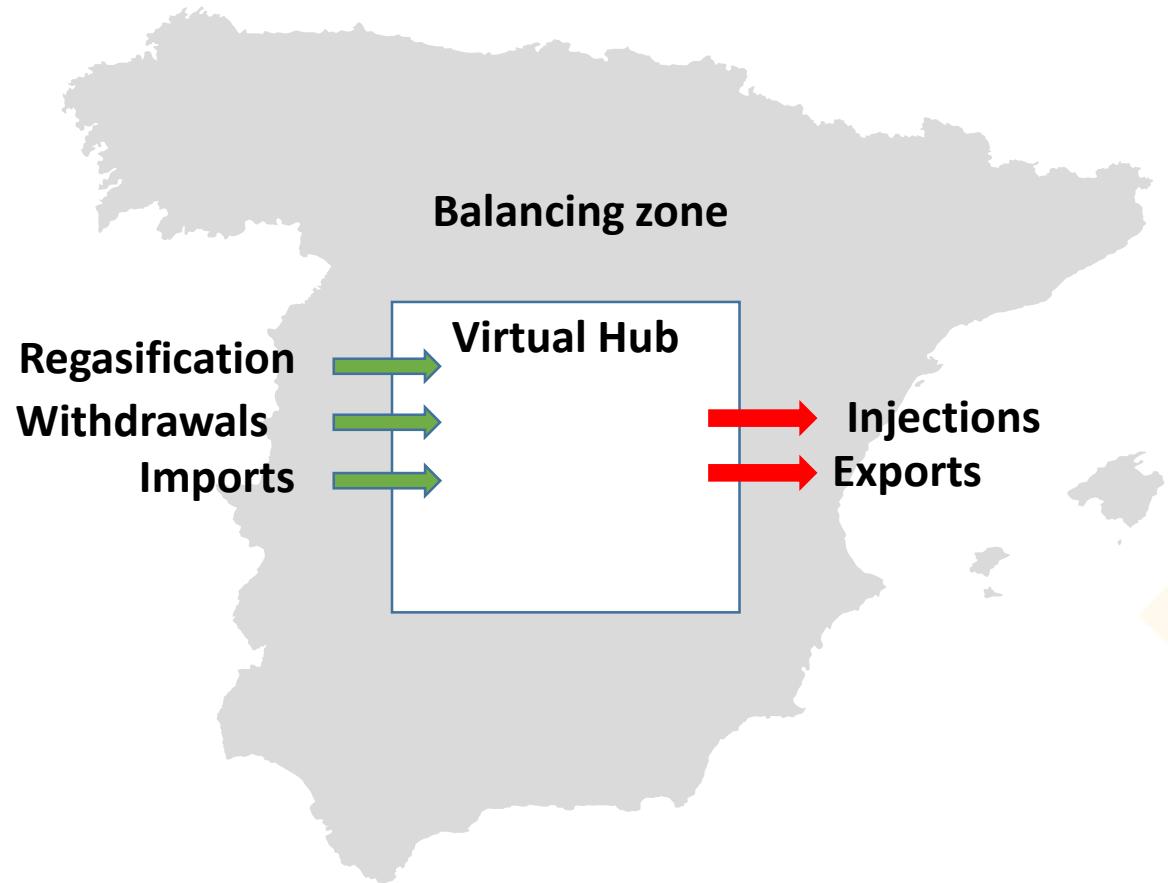


Balancing operations in a virtual hub



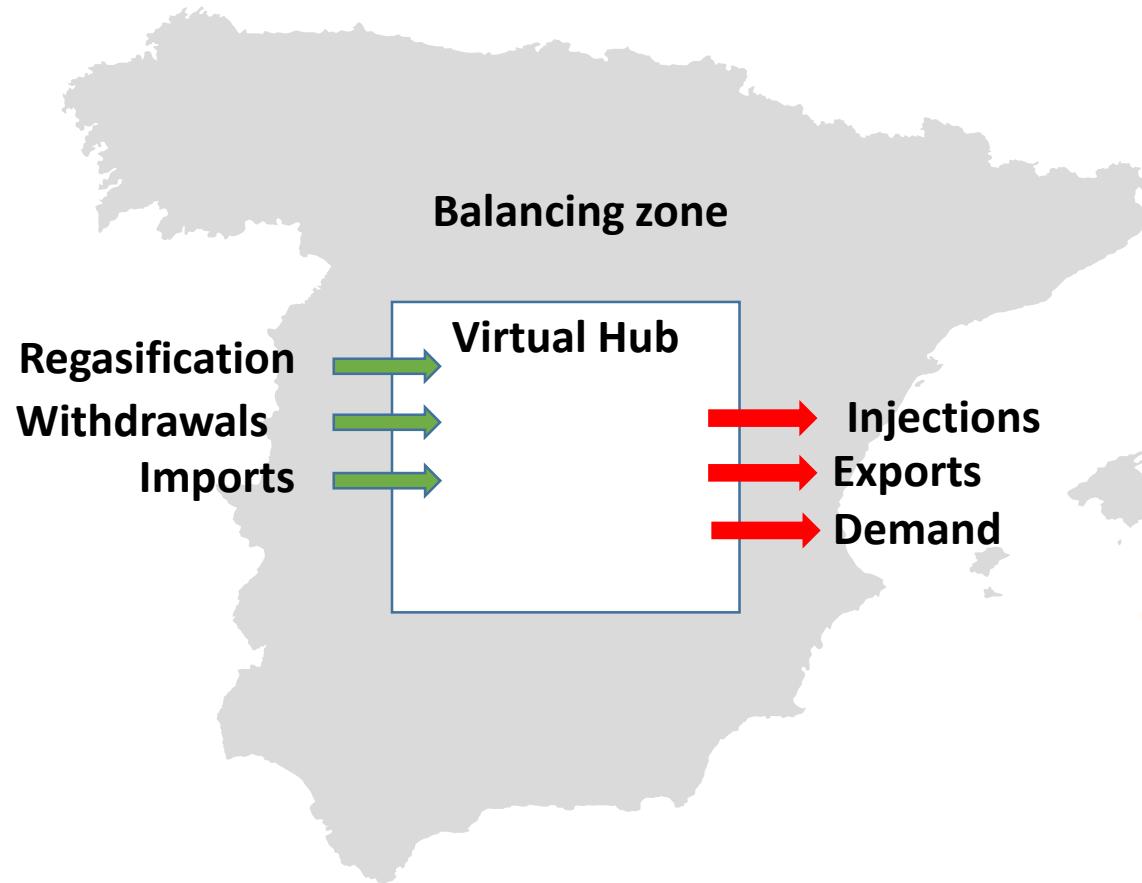
$$q_{zet}^{HUB} - q_{ze(t-1)}^{HUB} = \sum_{r \in z} q_{ret}^{reg} + \sum_{s \in z} (q_{set}^{wth} - q_{set}^{inj}) +$$

Balancing operations in a virtual hub



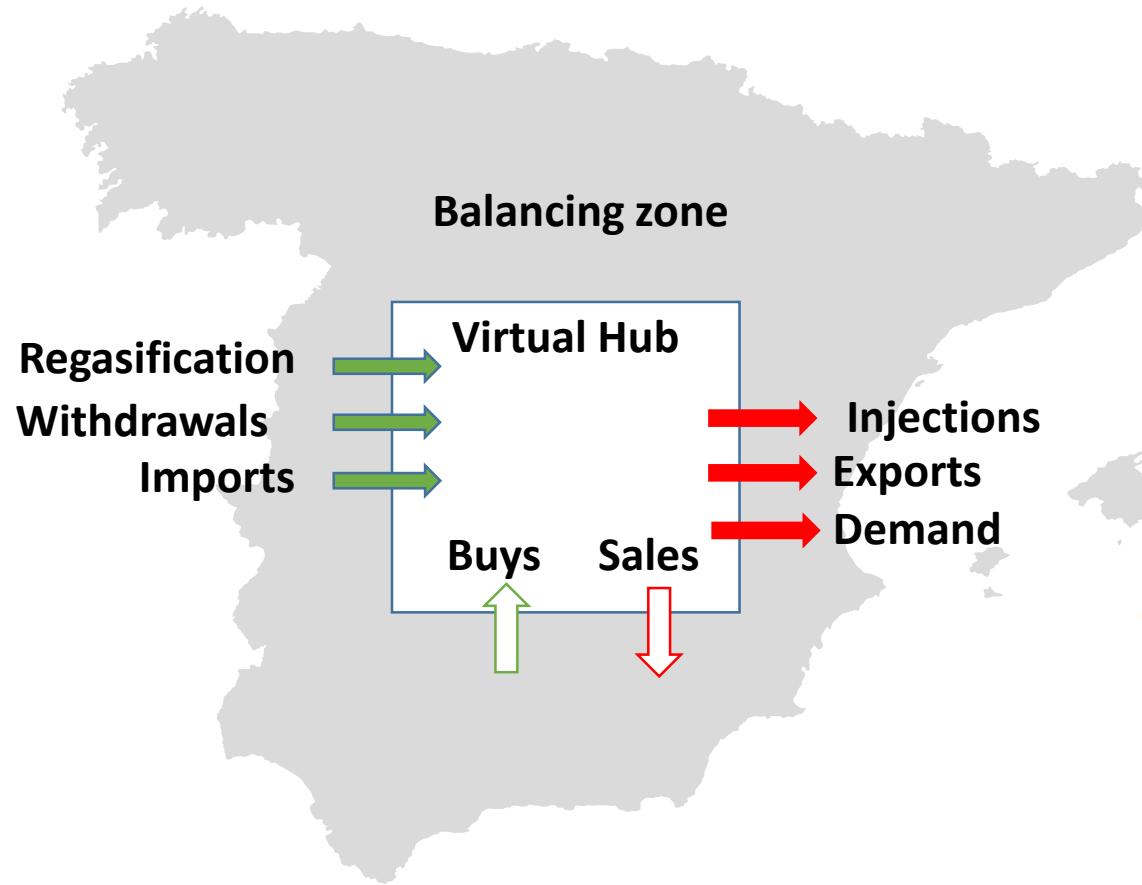
$$q_{zet}^{HUB} - q_{ze(t-1)}^{HUB} = \sum_{r \in Z} q_{ret}^{reg} + \sum_{s \in Z} (q_{set}^{wth} - q_{set}^{inj}) + \sum_x (q_{xzet}^{imp} - q_{xzet}^{exp})$$

Balancing operations in a virtual hub



$$q_{zet}^{HUB} - q_{ze(t-1)}^{HUB} = \sum_{r \in \mathcal{Z}} q_{ret}^{reg} + \sum_{s \in \mathcal{Z}} (q_{set}^{wth} - q_{set}^{inj}) + \sum_r (q_{xzet}^{imp} - q_{xzet}^{exp}) - D_{zet}^{TOT}$$

Balancing operations in a virtual hub

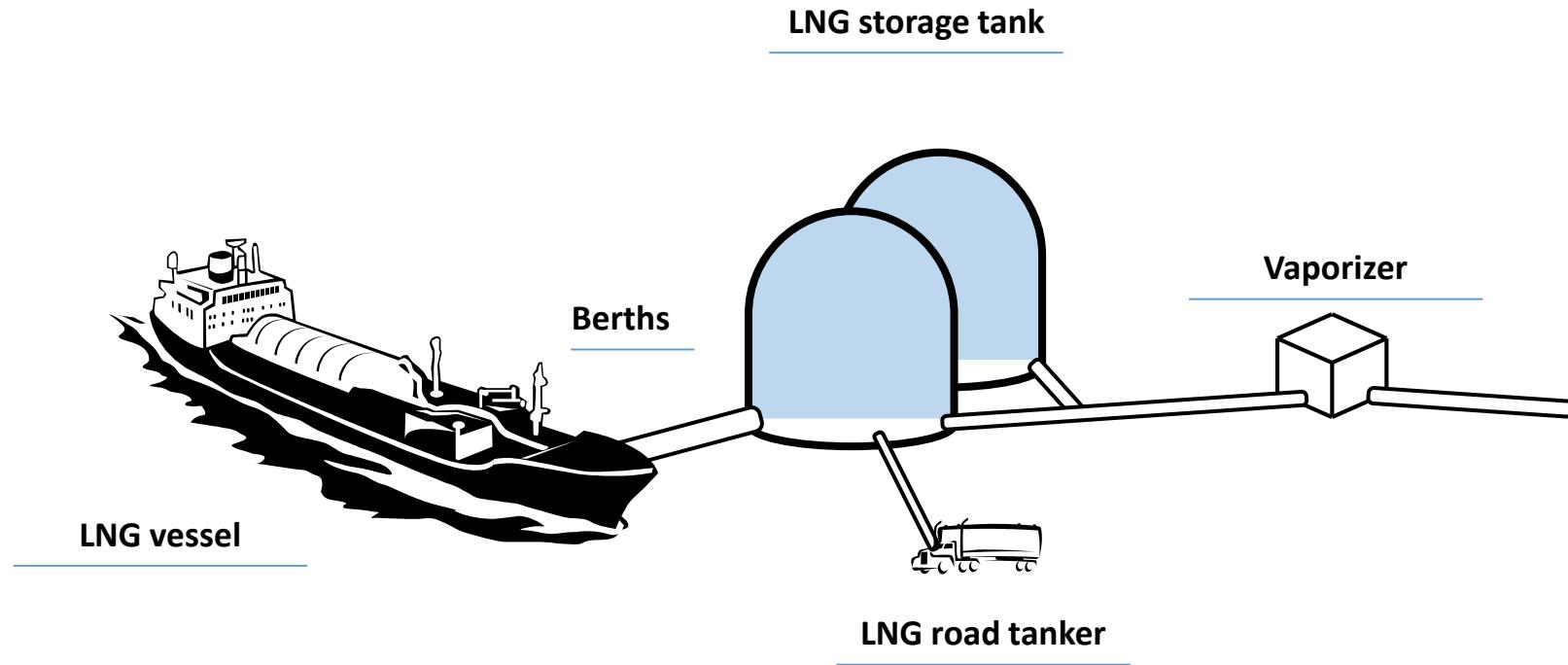


$$q_{zet}^{HUB} - q_{ze(t-1)}^{HUB} = \sum_{r \in Z} q_{ret}^{reg} + \sum_{s \in Z} (q_{set}^{wth} - q_{set}^{inj}) + \sum_x (q_{xzet}^{imp} - q_{xzet}^{exp}) - D_{zet}^{TOT} + q_{zet}^{\Delta HUB} - q_{zet}^{\nabla HUB}$$

HUB Price – Dual variable

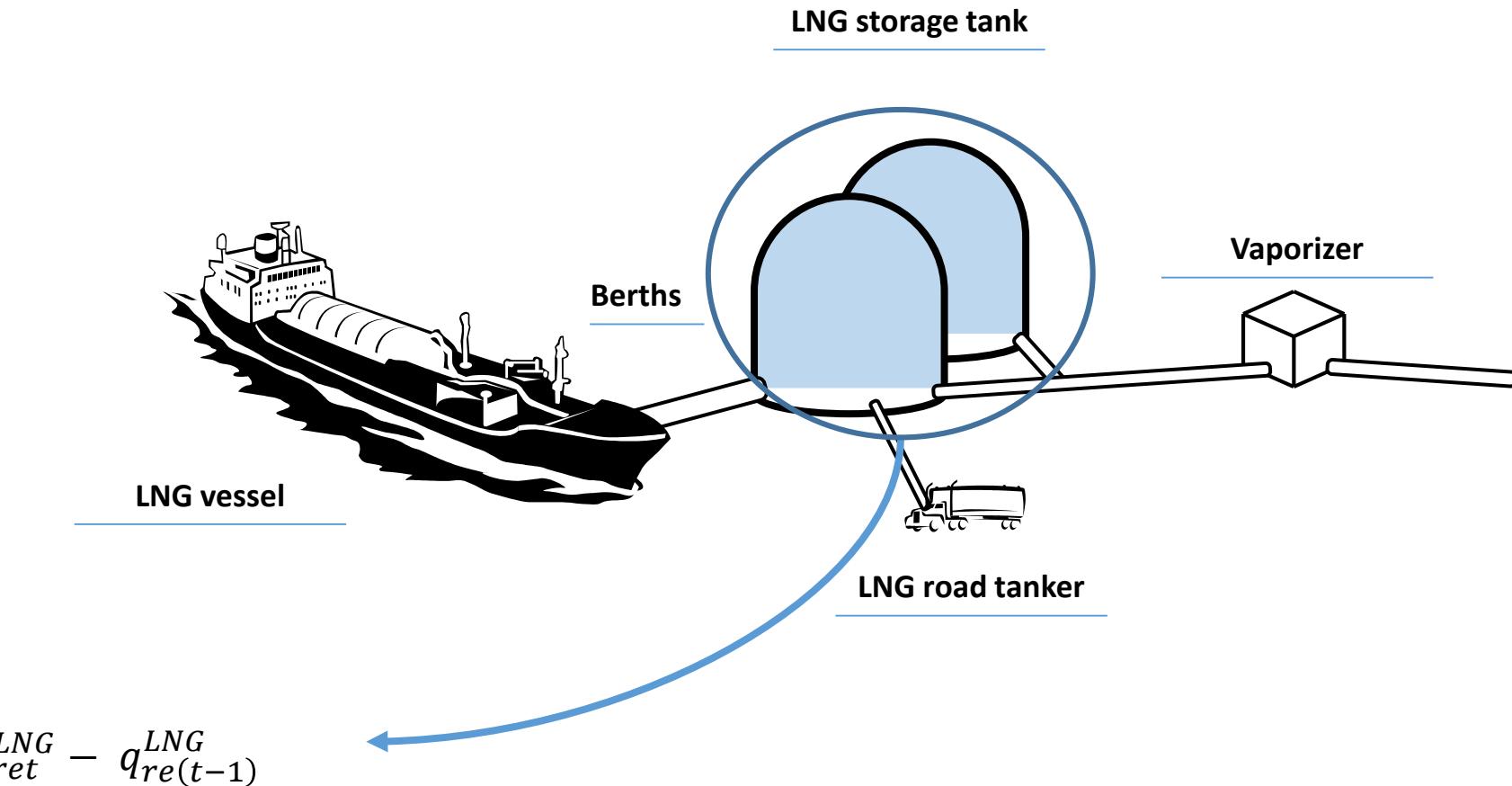
$$\sum_e q_{zet}^{\Delta HUB} - q_{zet}^{\nabla HUB} = 0$$

Balancing operations - regasification terminals

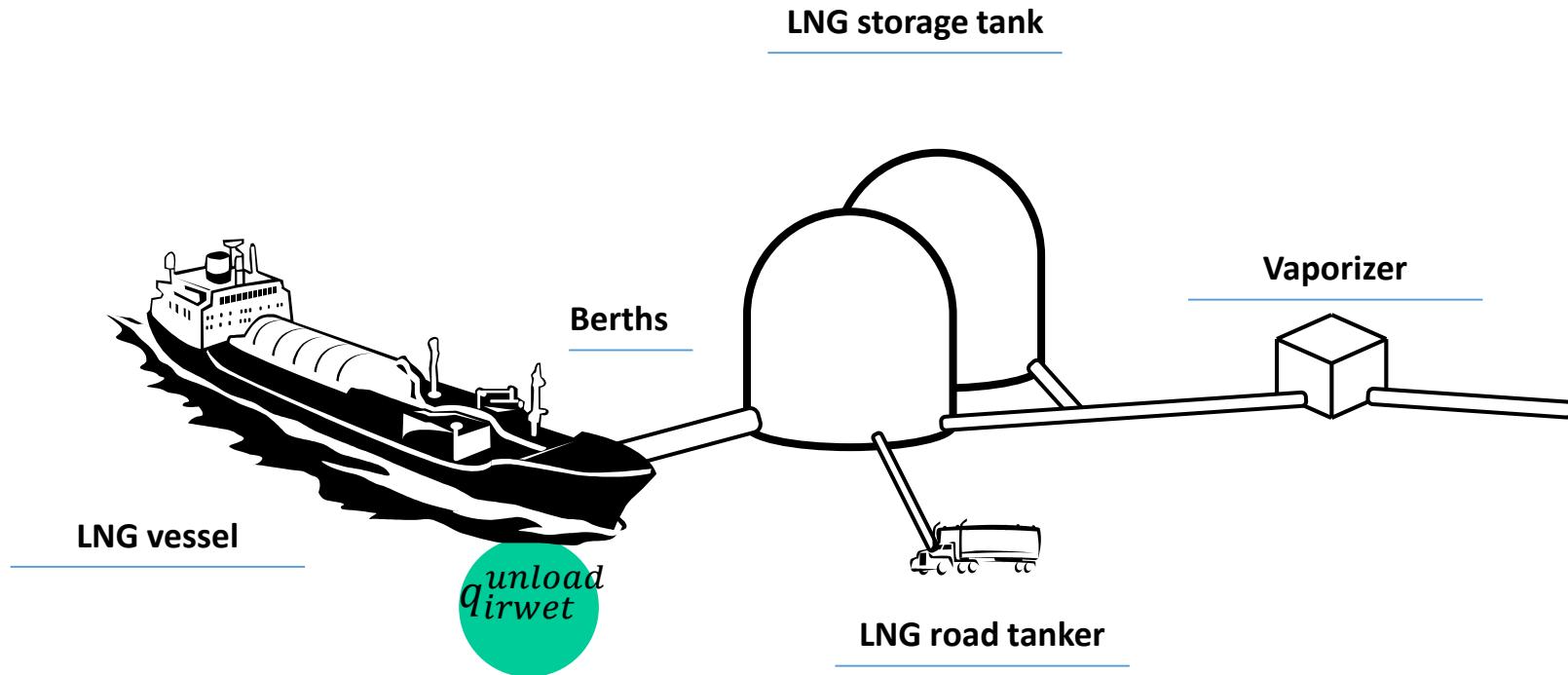


$$q_{ret}^{LNG} - q_{re(t-1)}^{LNG}$$

Balancing operations - regasification terminals



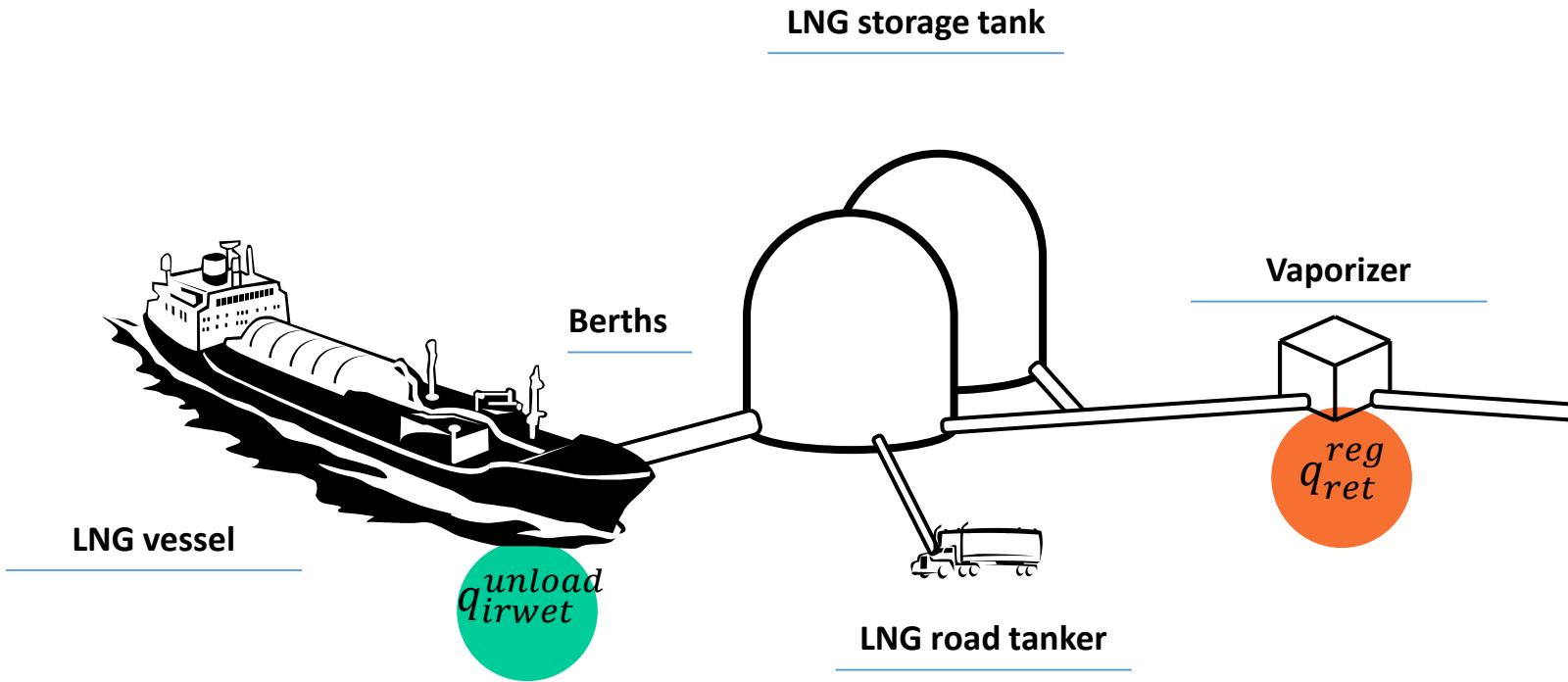
Balancing operations - regasification terminals



By: Agent

$$q_{ret}^{LNG} - q_{re(t-1)}^{LNG} = \sum_{i,w} q_{irwet}^{unload} - \dots$$

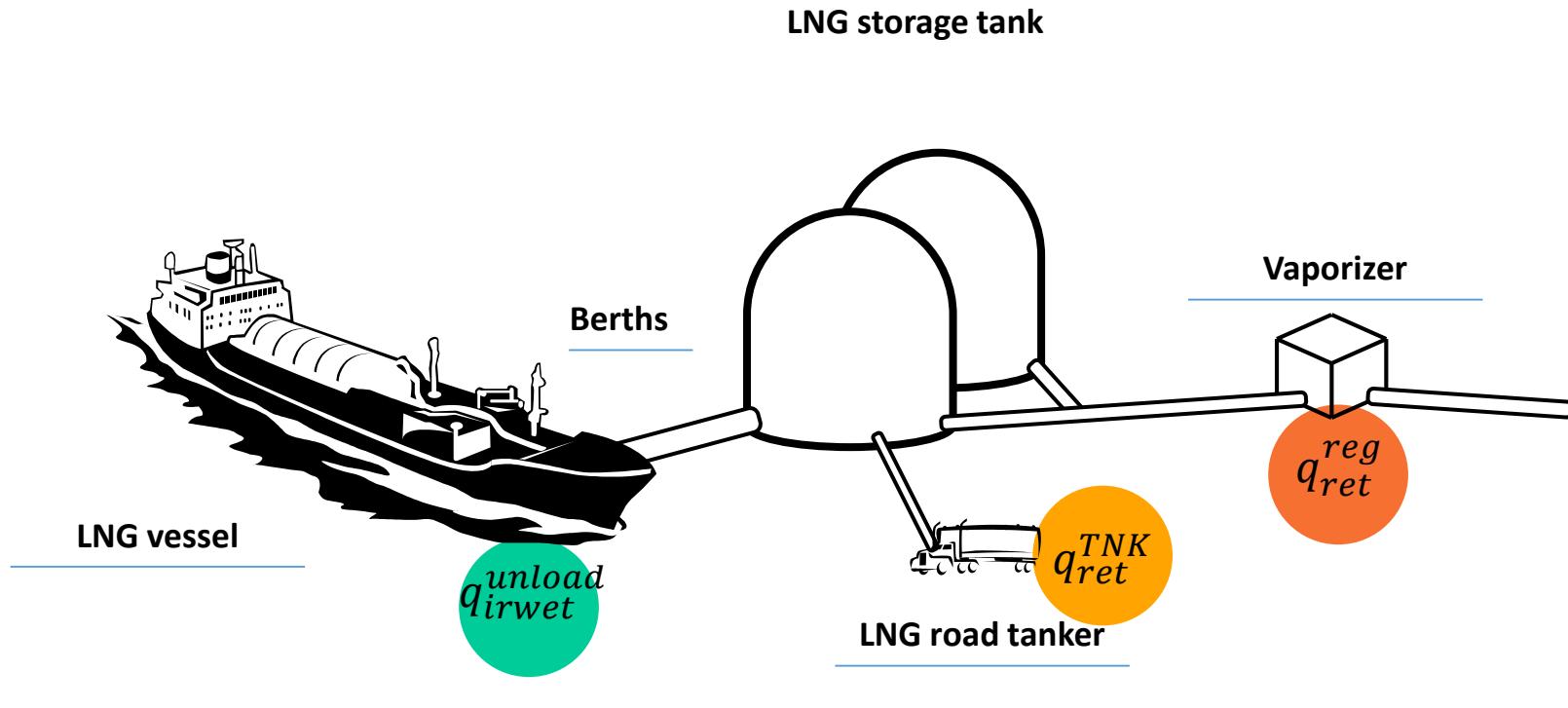
Natural gas optimization model



By: Agent

$$q_{ret}^{LNG} - q_{re(t-1)}^{LNG} = \sum_{i,w} q_{irwet}^{unload} - q_{ret}^{reg} + \dots$$

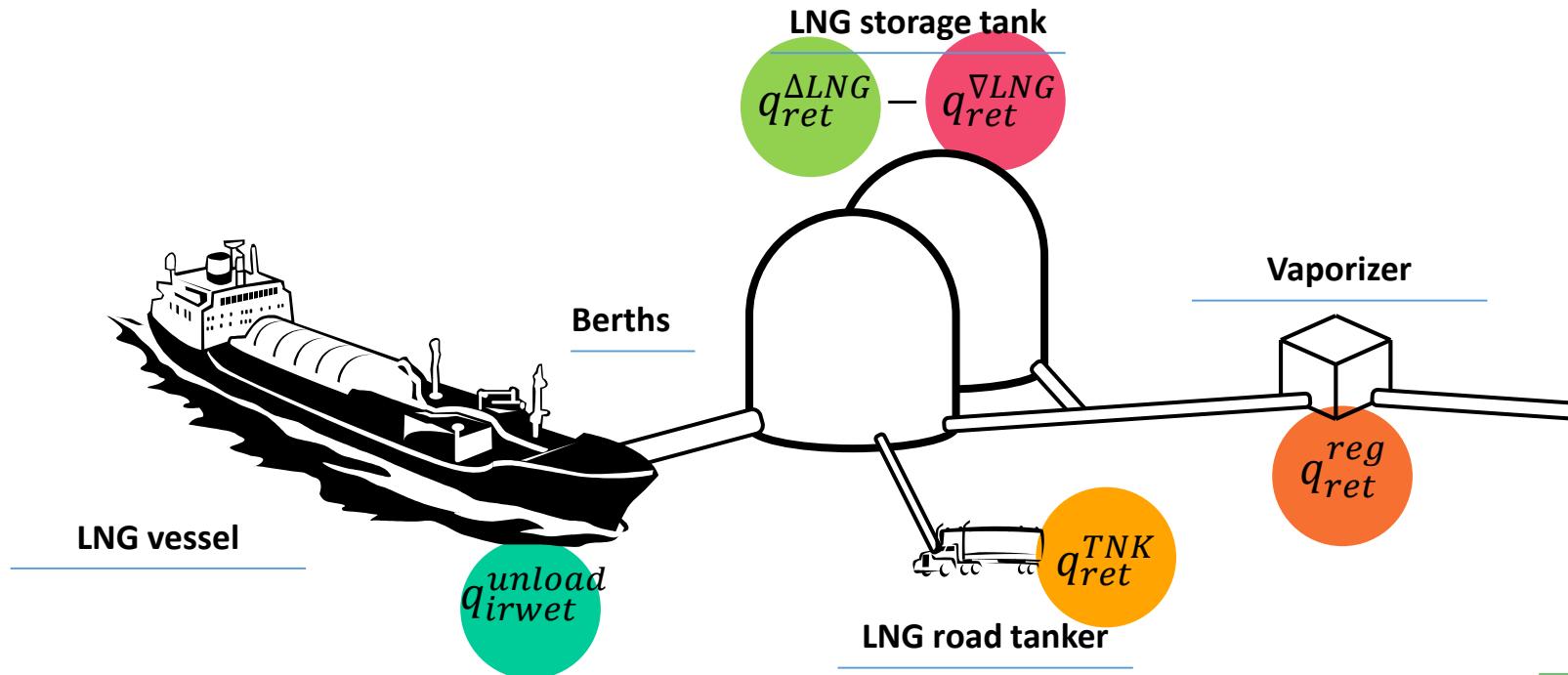
Balancing operations - regasification terminals



By: Agent

$$q_{ret}^{LNG} - q_{re(t-1)}^{LNG} = \sum_{i,w} q_{irwet}^{unload} - q_{ret}^{reg} - q_{ret}^{TNK} + \dots$$

Balancing operations - regasification terminals



By: Agent

$$q_{ret}^{LNG} - q_{re(t-1)}^{LNG} = \sum_{i,w} q_{irwet}^{unload} - q_{ret}^{reg} - q_{ret}^{TNK} + q_{ret}^{\Delta LNG} - q_{ret}^{\nabla LNG}$$

LNG storage tank Price – Dual Variable

$$\sum_e q_{ret}^{\Delta LNG} - q_{ret}^{\nabla LNG} = 0$$



Business problem

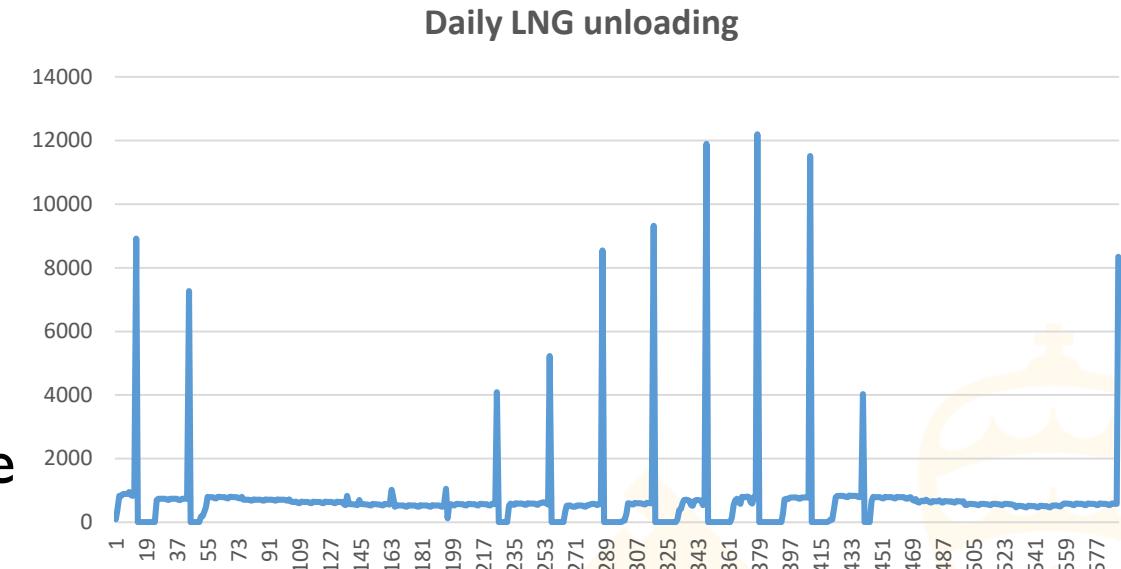
- Daily level + multiple years
- Detailed representation
- Significant computational burden associated with such detail in large-scale gas systems.





Business problem

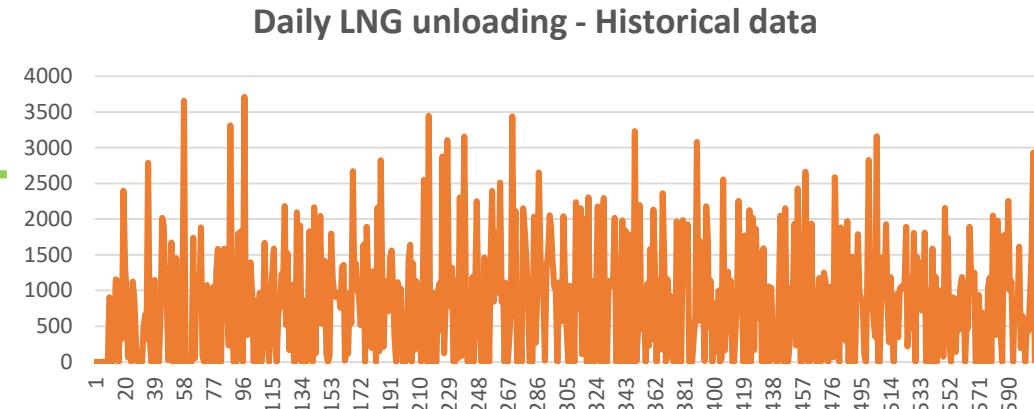
- Under deterministic optimization, perfect foresight leads agents to anticipate all future shocks perfectly, resulting in unrealistic decisions.
- This is particularly the case with the LNG carrier unloading schedules. Where daily patterns present spikes on specific days of the month.



Two-stage approach

Historical data.

Daily unloading volumes of LNG.



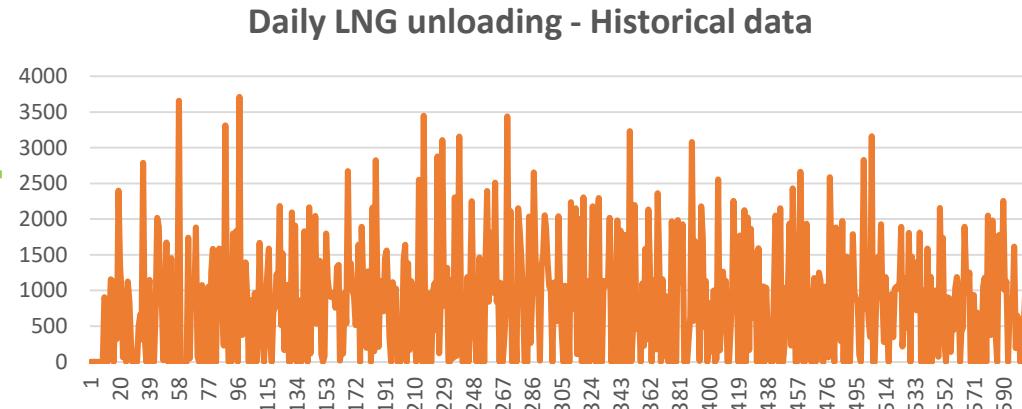
Twelve years of historical data.

Two-stage approach

Historical data.

Daily unloading volumes of LNG.

The probability of vessel arrivals at the regasification plant per day is calculated for each month.

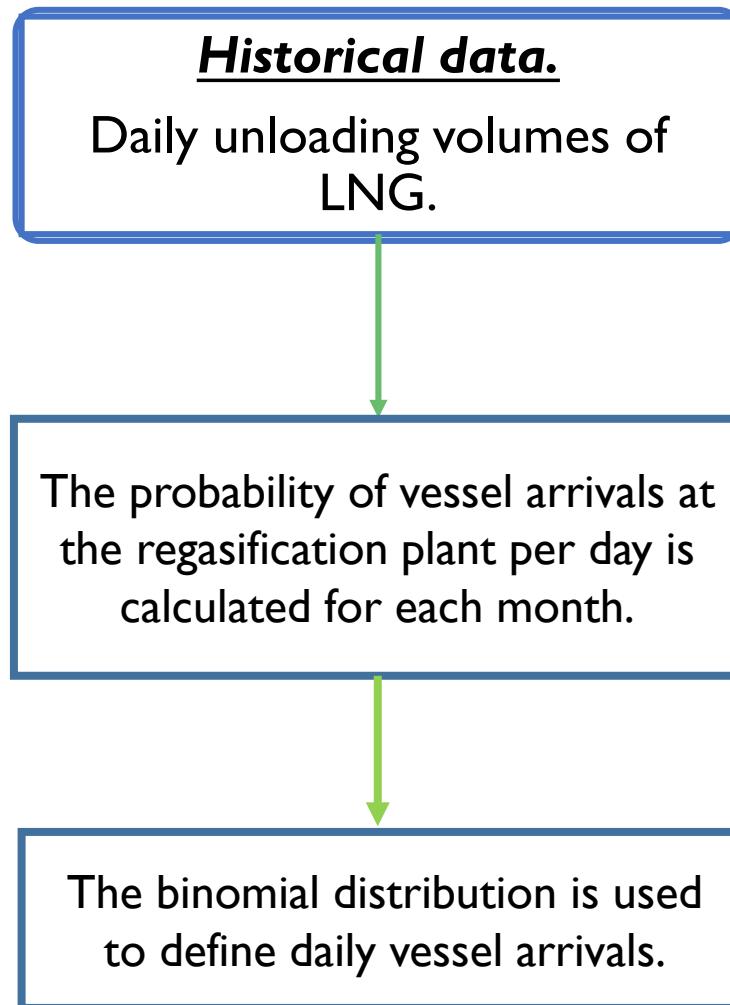


Twelve years of historical data.

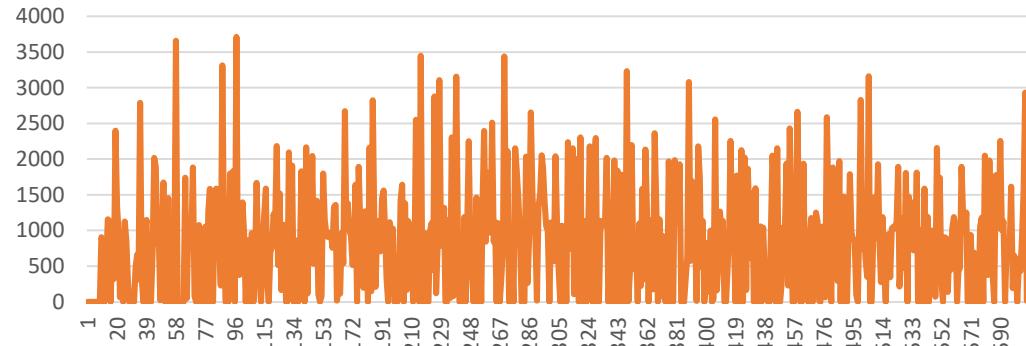
January 31 days * 12 years = 372 total data

**January probability of vessel = # days with unloading/372
Arrivals per day**

Two-stage approach

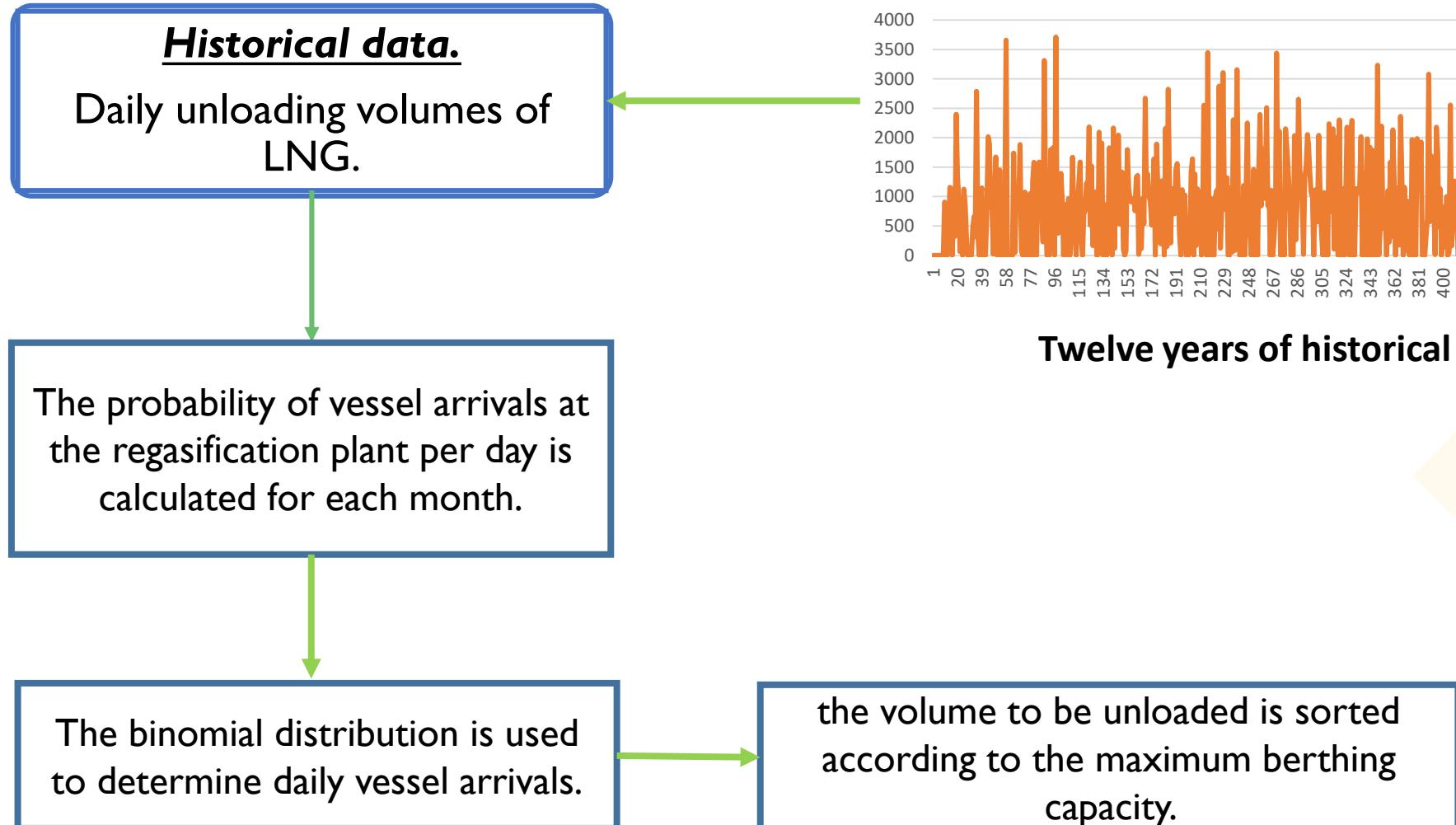


Daily LNG unloading - Historical data

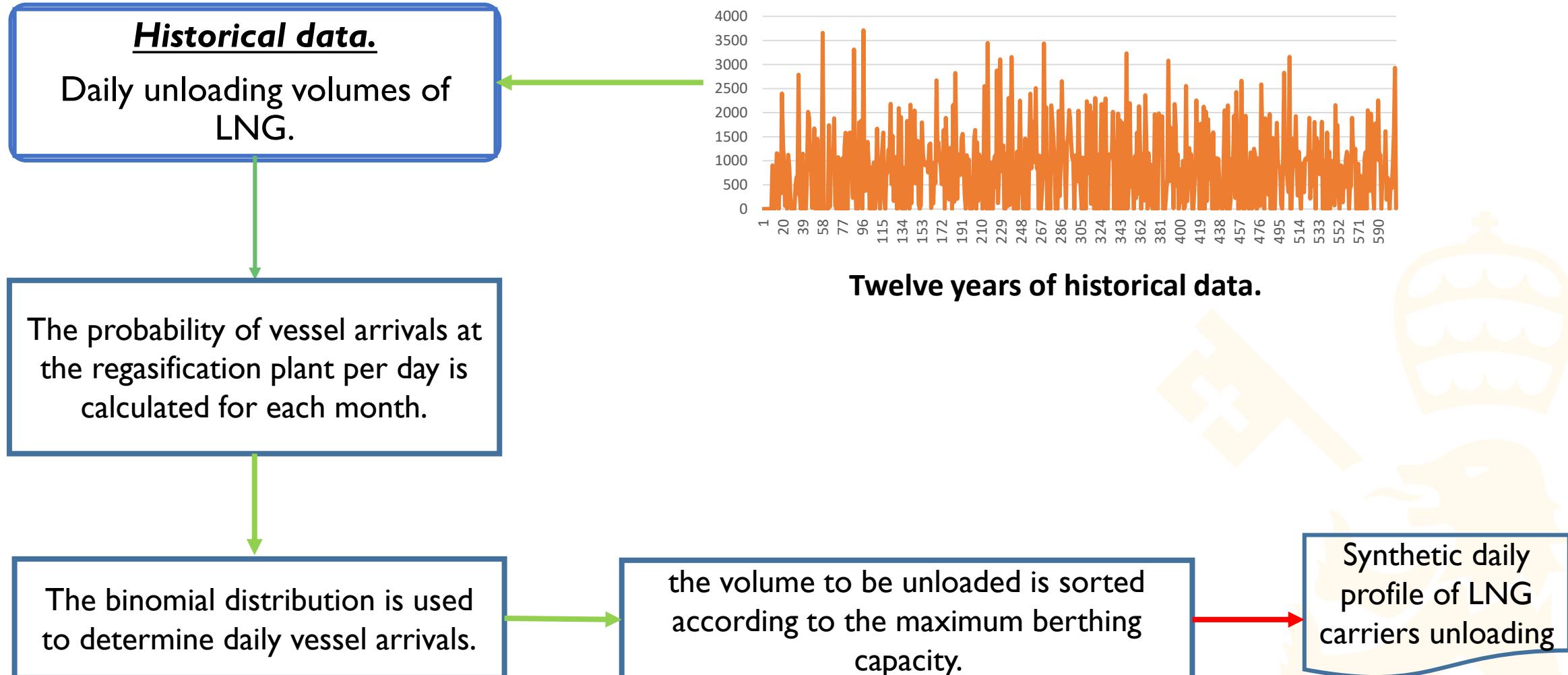


Twelve years of historical data.

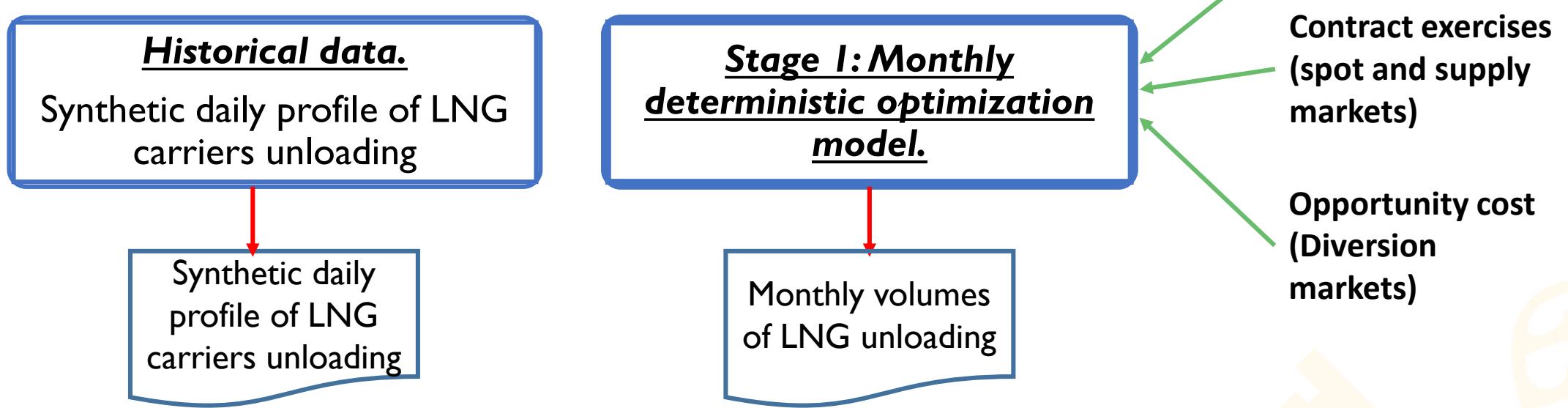
Two-stage approach



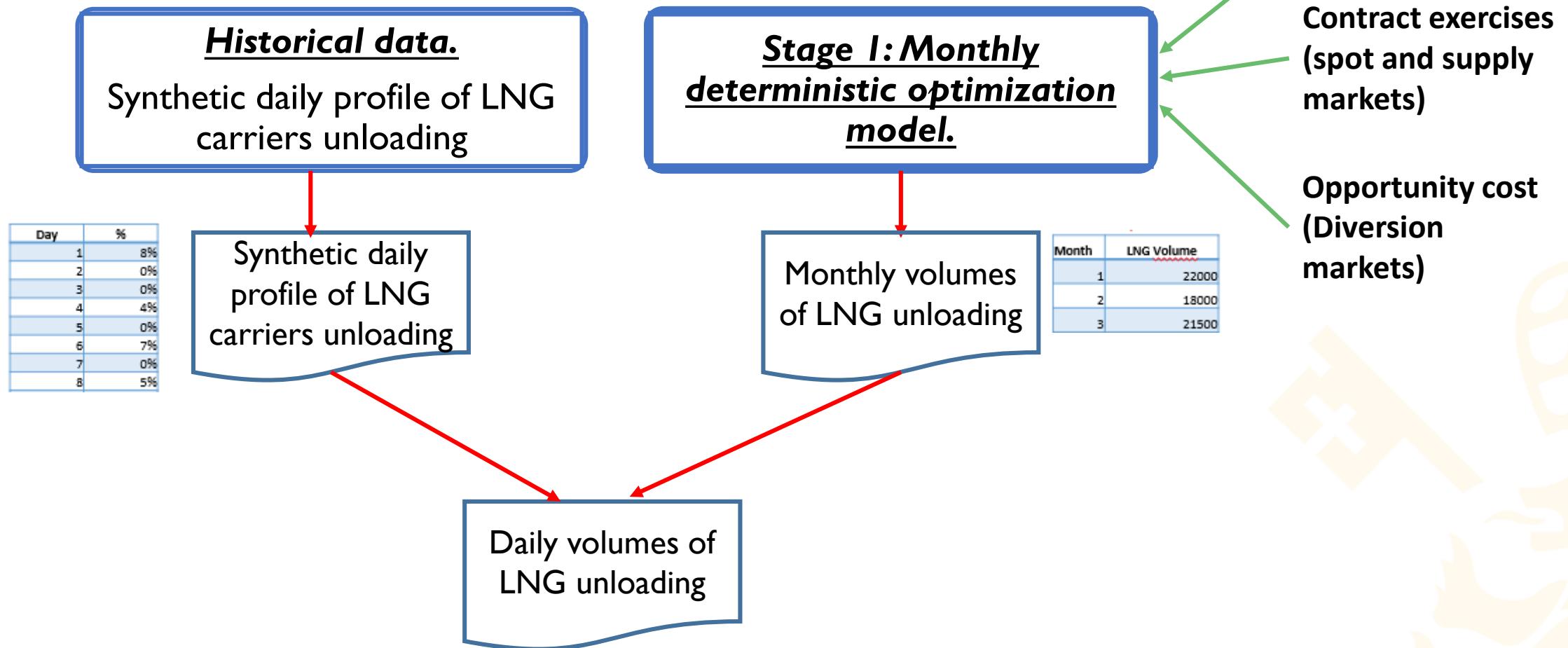
Two-stage approach



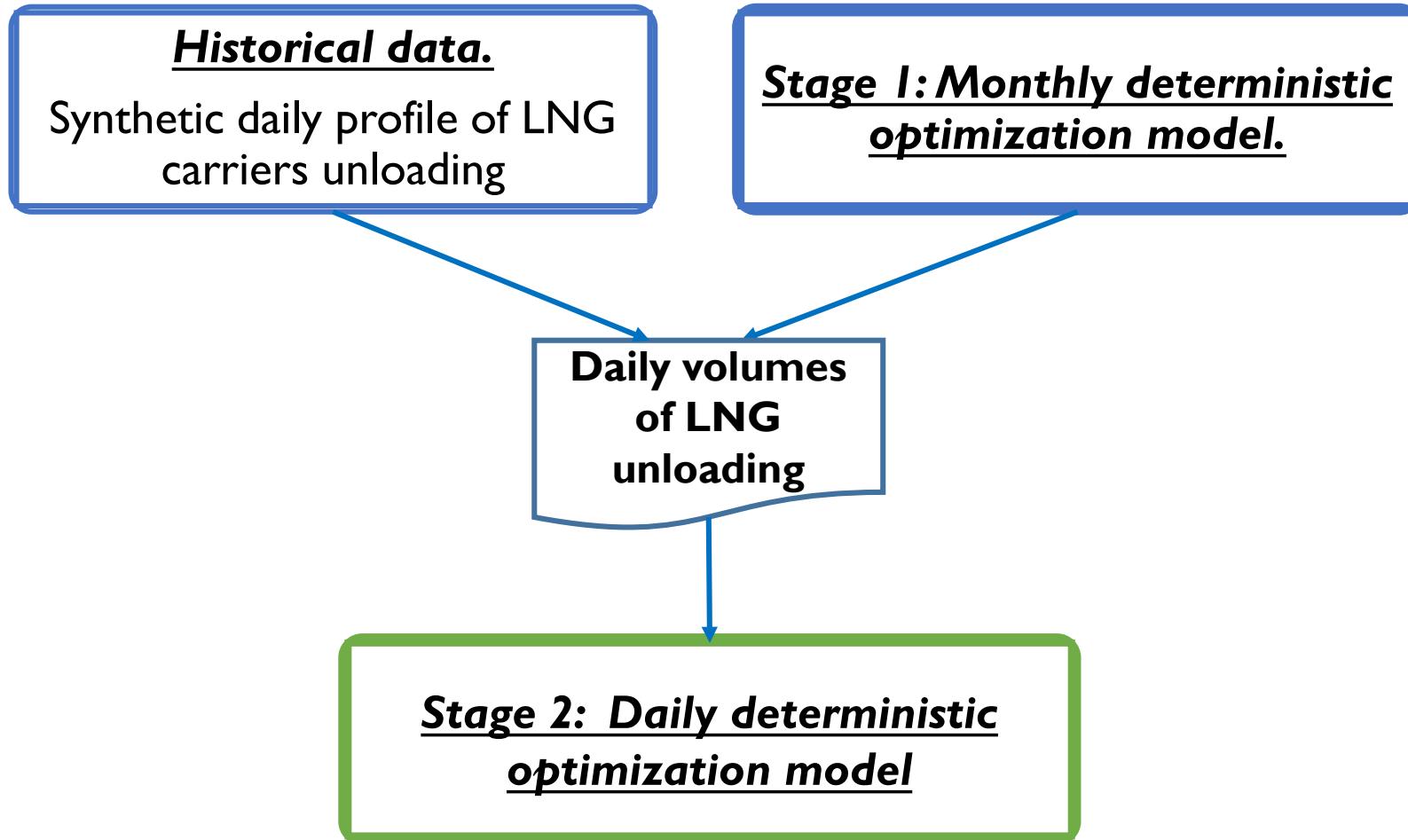
Two-stage approach



Two-stage approach

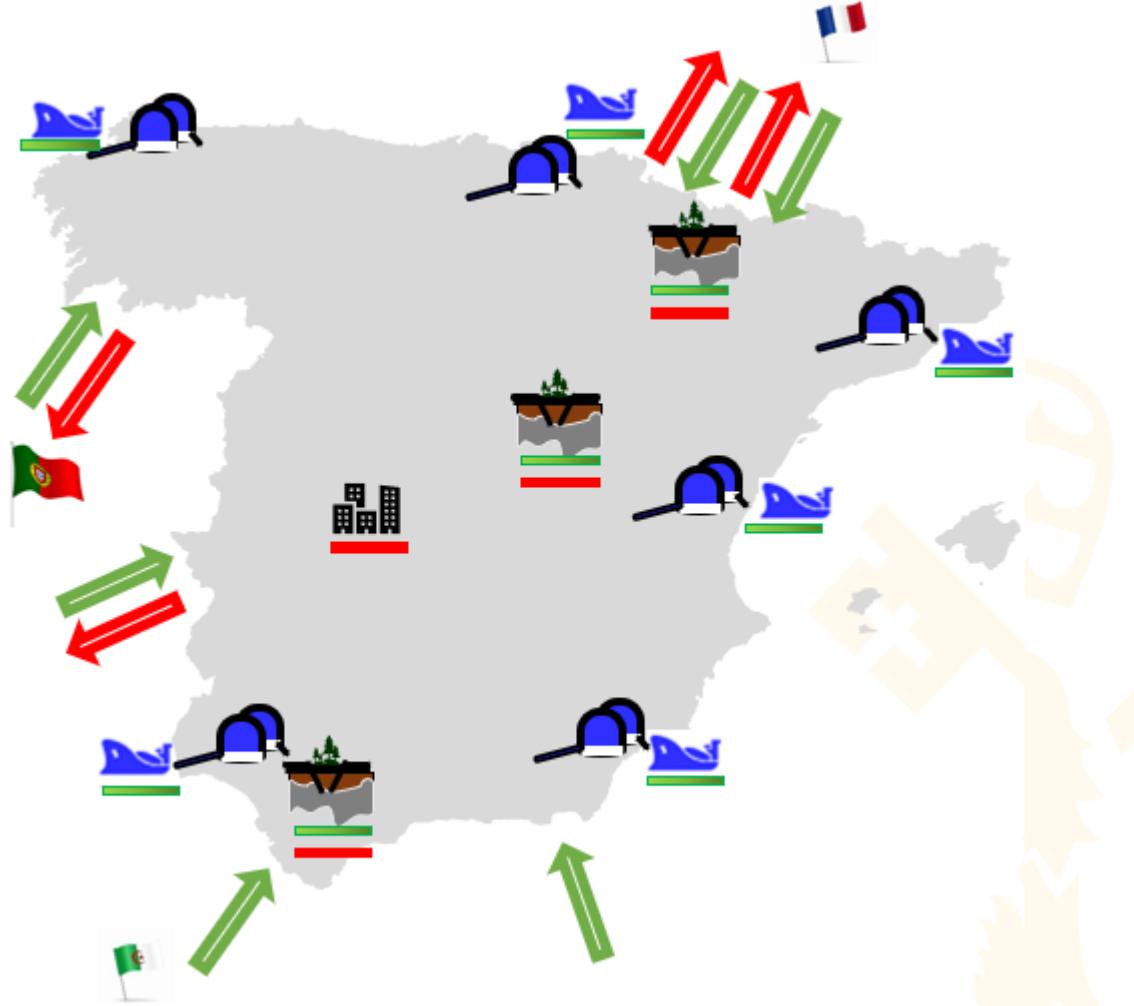


Two-stage approach



Case study

- Real-size scale
- Detailed representation of the Iberian gas system (Spain and Portugal).
- **Case 1:** The model is allowed to determine the optimal value for daily LNG carrier unloading.
- **Case 2:** Adopt the two-step methodology



Case study – key features

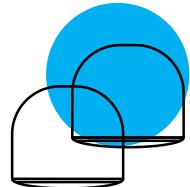


Cross-border pipelines

8

*11,369 km

Primary transmission pipelines (13,361 km, including secondary ones)



Regasification terminals

6

***+48%**

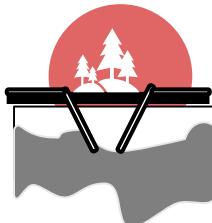
Regasification terminal production vs. 2021



International markets

*19

Countries supplying to the System



Storage Facility

4

*94%

Filling level of storage facilities in Spain on 1 November (level required by EU regulations): 80%



LNG Vessels

***+33%**

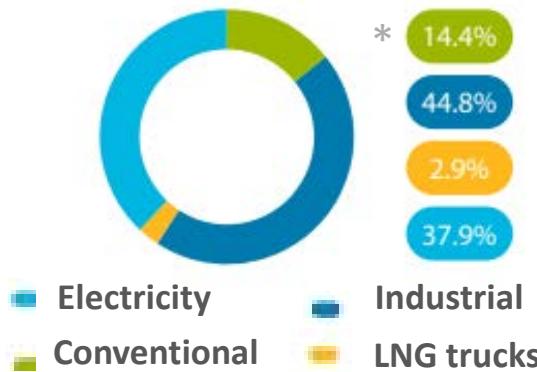
Unloadings of LNG vs. 2021

* Source: enagas spanish gas system report 2022

Case study – key features



National demand



681.916

Constraints

2.290.424

Variables



Mid-term horizon

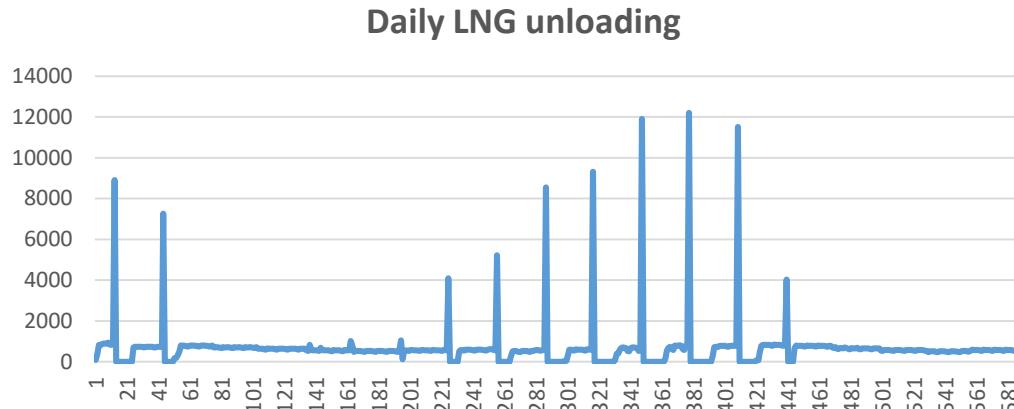
two years ahead on a
daily basis.



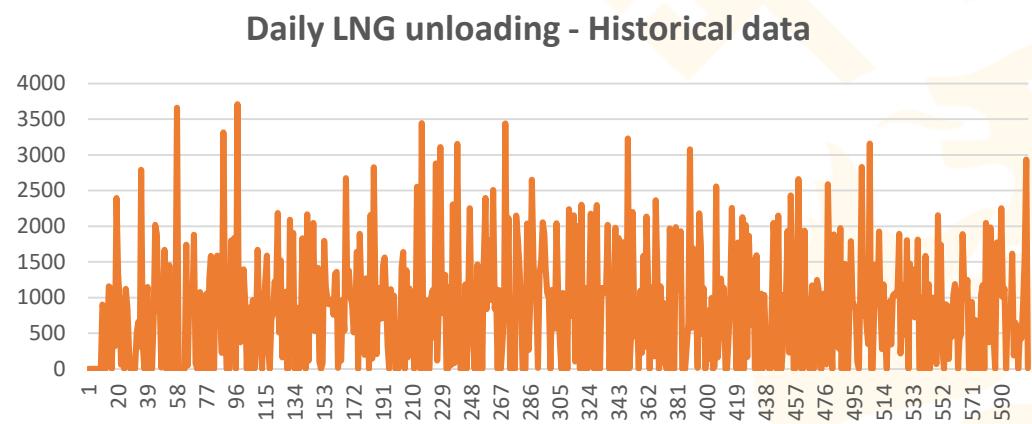
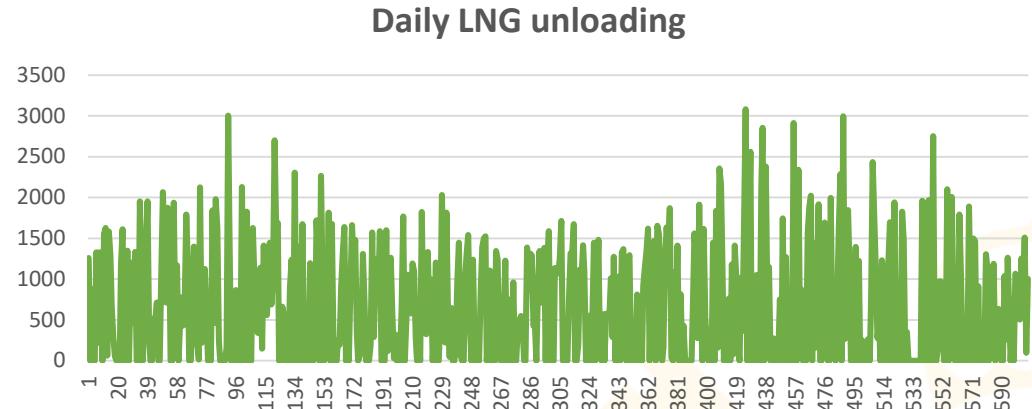
*Source: enagas spanish gas system report 2022

Results

Case 1: without two-step methodology



Case 2: two-step methodology





Conclusions

- The proposed methodology has proven effective in representing LNG carriers in particular and all other fundamentals (demand, contracts, etc.) relevant to the decision-making process in the gas market.
- This two-stage methodology is sufficiently robust to represent the dynamics of LNG carrier unloading realistically and consistently.



A two-stage approach to represent the daily LNG carriers unloading in natural gas optimization models

Diana Navarrete-Cruz
Pre-Doctoral student
dmnavarrete@comillas.edu



18th IAEE
EUROPEAN
CONFERENCE
Milan, 23-27 July

Two-stage approach

